

# Monochromatic cycle cover in random graphs

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A classic result of Erdős, Gyárfás and Pyber states that if the edges of  $K_n$  are colored with a constant number of colors, then its vertex set can be covered by constantly many monochromatic cycles. We study this problem in the random graph  $G(n, p)$  and prove the following. If for an integer  $r$  and probability  $p \geq n^{-1/r+\epsilon}$ , the edges of  $G(n, p)$  are  $r$ -colored, then all the vertices can be covered by  $O(r^{10})$  monochromatic cycles whp. On the other hand, if  $p = o(n^{-1/r})$  then the number of monochromatic cycles needed to cover the vertices of  $G(n, p)$  grows with  $n$  whp. Joint work with Frank Mousset, Rajko Nenadov, Nemanja Skoric and Benny Sudakov.