# Directed Ramsey number for trees

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Given an oriented graph $H$, the $k$-colour *oriented Ramsey number* of $H$, denoted by $\overrightarrow{R}(H,k)$, is the least integer $n$, for which every $k$-edge-coloured tournament on $n$ vertices contains a monochromatic copy of $H$. We show that $\overrightarrow{R}(T,k) \leq c_k|T|^k$ for any oriented tree $T$, which, in general, is tight up to a constant factor. We also obtain a stronger bound, when $H$ is an arbitrarily oriented path.